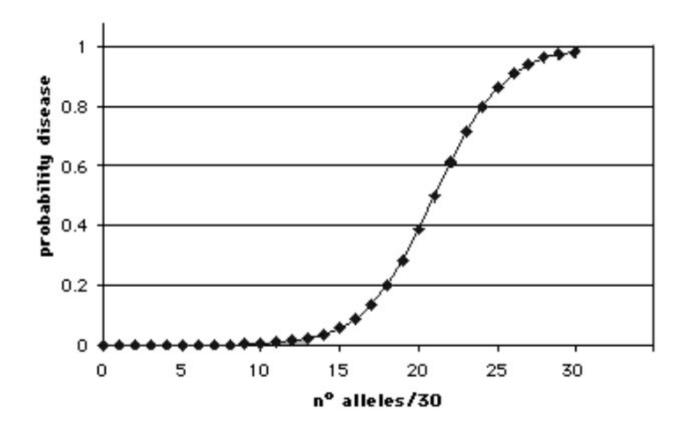
# **Association Studies**

Prof. Pantelis Bagos 2021

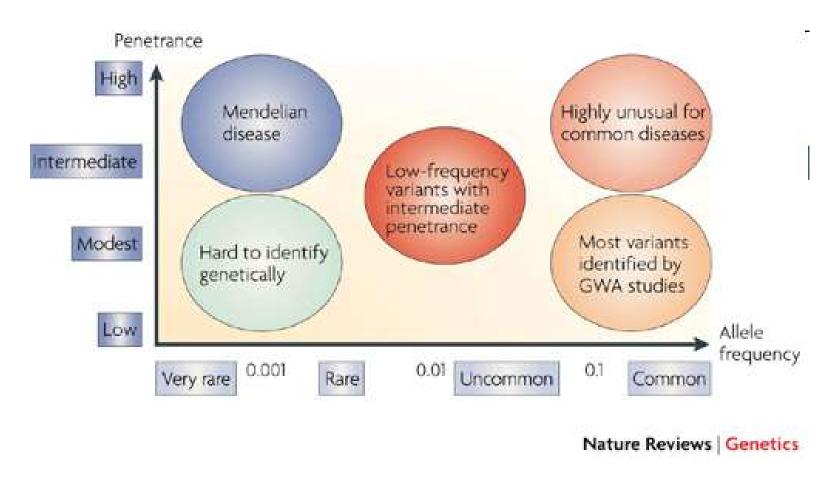
**Genetic Epidemiology** 

# Genetic Epidemiology

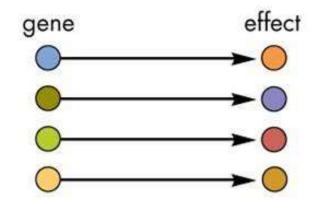
- Studies the disease with the aim of deciphering
  - Whether it has a genetic background,
  - The heritability,
  - The mode of inheritance,
  - The genetic locus in which the responsible gene lies,
  - The gene and the allele that predisposes for the disease
  - The interactions with other genes or environmental factors



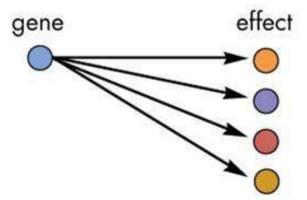
## Penetrance



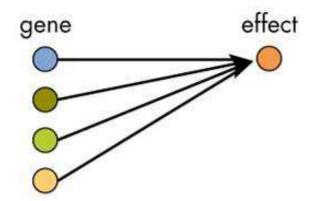
Penetrance=P(Disease | genotype)



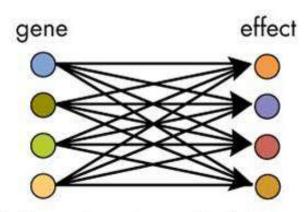
Each gene has a distinct biological effect.



Pleiotropy: A gene has multiple effects.



Polygenic trait: Many genes contribute to a single effect.

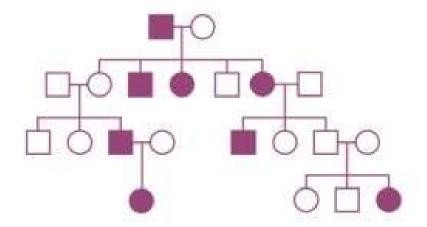


Polygenic traits and pleiotropy

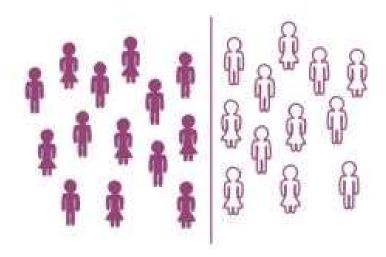
# Study types

- Inheritance studies
  - Family history
  - Family studies (twins, adoptions etc)
  - Segregation studies
- Linkage studies
  - Aim to find the genetic locus in which the genes are
- Genetic association studies
  - Find the gene and quantify the risk
  - Family-based vs. population-based
  - GxG and GxE interactions
  - GAS vs. GWAS

#### Linkage analysis



#### **Association** analysis



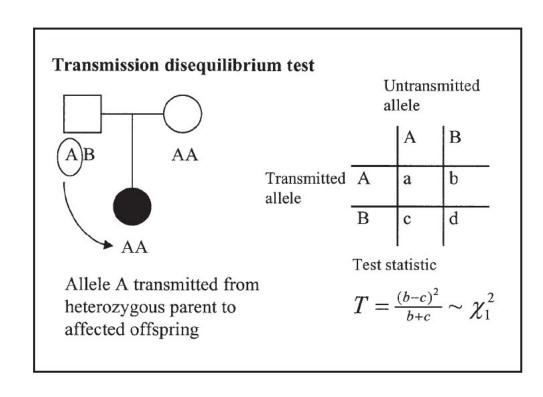
# **Genetic Association Studies**

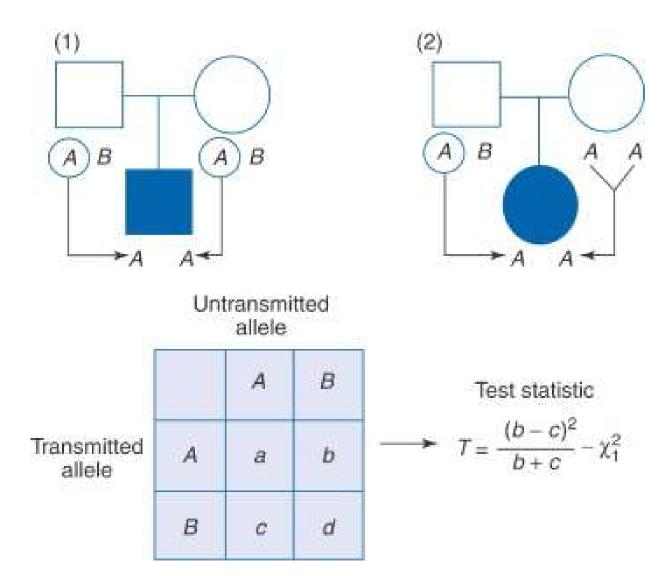
- Identify the allele that causes the disease
  - Use effect sizes like the OR
- In families vs. in population
  - case-control studies, TDT, family based studies
- Gene X Gene and Gene X environment interactions
  - Special designs (πχ case-only studies)
- GAS vs. GWAS
  - One candidate gene or million SNPs

# Family based genetic association studies

- Compares the allele in cases and in healthy parents
- Use the Transmission-Disequilibrium Test (TDT) which is equivalent to McNemar's  $\chi^2$
- TDT tests both linkage and association

- Advantages: controls for confounding (population stratification)
- disadvantages: low statistical power





# **Extensions**

- 1-TDT (one parent is available)
- Multi-allelic loci
- Sib-TDT (compares the marker genotypes in affected and unaffected offspring)
- Quantitative traits (cholesterol etc)
- X-linked genes
- And more...

# 1-TDT

TABLE 1. Case-parental control design when only one parental genotype is available

Case		Parental genotype	
genotype	NN(0)	NM(1)	MM(2)
NN(0)	A <sub>00</sub>	A <sub>01</sub>	0
NM(1)	A,0	A,1	A,2
MM(2)	o"	A <sub>21</sub>	A <sub>22</sub>

$$T_1 = \frac{A_{01} + A_{12} - A_{10} - A_{21}}{\sqrt{V}} = \frac{b_1 - c_1}{\sqrt{V}}.$$

$$V_1 = \Sigma (b_{1i} - c_{1i})^2,$$

- When diseases with onset in adulthood or in old age are studied, it may be impossible to obtain genotypes for markers in the parents of the affected offspring. This difficulty has limited the applicability of the TDT.
- Instead of using marker data from affected offspring and their parents, this method compares the marker genotypes in affected and unaffected offspring. The S-TDT does not reconstruct parental genotypes and does not depend on estimates of allele frequencies

No. of Sibs w	TTIL CENOTYPE	12752575	9722707		
	TIH GENOTIPE	M <sub>1</sub> ALLE	LES IN "AFI	ECTED" SIBS	, by Chance
$M_1M_1$	$M_1M_2$	$M_2M_2$	$M_1M_3$	Mean	Variance
2	1				
300	2	***	2	3.8571	.4082
•••	1	•••			
	1	2	1	.6000	.2400
1	***				
***	1	2	***	.7500	.6875
	2 1	2 1 2 1 1	2 1 2 1 1 2	2 1 2 2 1 2 1 1 2 1	2 1 2 3.8571 1 1 1 2 1 .6000

Table 2. Total Number of Alleles in Affected and Unaffected Members of Sibships in Table  $\bf 1$ 

		N	No. of Alleles	
SIB STATUS	$M_1$	$M_2$	$M_3$	Total
Affected	8	2	0	10
Unaffected	7	12	3	22

#### **HHRR**

 The haplotype-based haplotype relative risk (HHRR), in an effort to increase power (i.e. to decrease the variance), uses the unmatched version of Table, since, under the null hypothesis, the two alleles of each parent are independent. The transition to the unmatched analysis is given in Table

**Table 1.** The 2x2 contingency table corresponding to a population-based case-control study in which allele B is considered the susceptibility allele. The total number of B and A alleles are compared between cases and controls. For brevity we denote  $n_{01}=2BB_0+AB_0$ ,  $n_{00}=2AA_0+AB_0$ ,  $n_{10}=2AA_1+AB_1$  and  $n_{11}=2BB_1+AB_1$ . The total number of cases' alleles is  $n_1$  and controls'  $n_0$  (i.e. the total number of cases is  $n_1/2$  and that of controls  $n_0/2$ ).

		Allele		
		B	A	Total
Status	Cases	$n_{11}$	$n_{10}$	$n_1$
	Controls	$n_{01}$	$n_{00}$	$n_0$
	Total			$n_0 + n_1$

**Table 2.** Presentation of the data in a family-based study using the Transmission Disequilibrium Test (TDT). The transmitted alleles are contrasted against the non-transmitted ones and the OR is given by the ratio of the discordant pairs (b/c). For comparison with Table 1 we denote  $a+b=w=n_{11}$  and  $c+d=x=n_{10}$ .

		Non-transmitted allele		
Transmitted		В	A	Total
Allele	B	а	b	w
	A	С	d	x
	Total	у	z	$n_1$

**Table 3.** Presentation of the data of a family-based study under the Haplotype-based Haplotype Relative Risk (HHRR). The transmitted alleles are contrasted against the non-transmitted alleles of parents that form a "pseudo-control" population. The OR is given by wz /xy. To make the connection with the data in Table 1 we have to notice that the first rows of the tables are identical  $(n_{11}=w \text{ and } n_{10}=x)$ 

	Allele		
	B	A	Total
Transmitted	w	x	$n_1$
Non-transmitted	у	z	$n_1$
Total	w+y	<i>x</i> + <i>z</i>	$2n_1$

# Remarks

- From a historical point of view, it is worth-noting that Falk and Rubinstein were the first to propose the use of untransmitted alleles to form a single pseudocontrol genotype (Falk & Rubinstein, 1987).
- Later, Terwilliger and Ott extended this idea and they discussed, for the first time, the use of McNemar's test, although they concluded that it was less powerful than the unmatched analysis that corresponds to the HHRR test (Terwilliger & Ott, 1992).
- Few years later, the McNemar's statistic was reformulated and presented as the TDT test that is now widely used (Spielman & Ewens, 1996; Spielman et al, 1993).

# Population based genetic association studies

- Compares the allele in cases and unrelated controls
- Typical epidemiological design

- advantages statistical power, large sample
- disadvantages: requires testing to control for confounding due to ethnicity (population stratification)

	Exposed	Unexposed
Cases	α	β
Controls	γ	δ

Odds Ratio

$$OR = \frac{\alpha \delta}{\beta \gamma}, \quad se_{\log OR} = \sqrt{\frac{1}{\alpha} + \frac{1}{\beta} + \frac{1}{\gamma} + \frac{1}{\delta}}$$

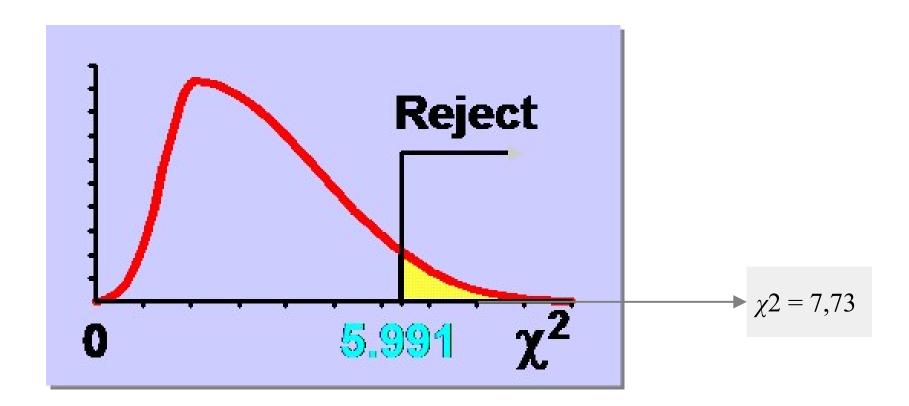
## X<sup>2</sup> as criterion of association

	Genotype				
	AA AB		ВВ	Total	
Disease					
yes	140 (320*380)/890=136,6	125 (320*390)/890=140,2	55 (320*120)/890=43,2	320	
no	240 (570*380)/890=243,4	265 (570*390)/890=249,8	65 (570*120)/890=76,8	570	
Σύνολο	380	390	120	890	

$$X^2 = \sum \frac{(O-E)^2}{E} = \frac{(140-136,6)^2}{136,6} + \frac{(125-140,2)^2}{140,2} + \frac{(55-43,2)^2}{43,2} + \frac{(240-243,4)^2}{243,4} + \frac{(265-249,8)^2}{249,8} + \frac{(65-76,8)^2}{76,8} = 0,08+1,65+3,22+0,05+0,92+1,81=7,73$$

## X<sup>2</sup> as criterion of association

- H0: disease and exposure are unrelated
- H1: there is a relation
- $\Leftrightarrow$   $\alpha = 0.05$
- $\bullet$  df. = (r-1)\*(c-1)=(2-1)\*(3-1)=2



# Collapsing the table

	Genotypes					
	AA AB BB					
Cases	α	β	γ			
Controls	δ	ε	ζ			
	<del> '                               </del>					

- $\triangleright$  The Pearson  $\chi^2$ , performs a model-free approach
- In order to assume a particular model we need to have a 2x2 table, i.e. merging AA+AB or AB+BB

# Example

	Genotypes			
	AA	BB		
Cases	105	225	119	
Controls	132	206	87	

. tabi 132 206 87\ 105 225 119, all

			col		
	row	1	2	3	Total
•	1 2	132 105	206 225	87 119	425 449
٠	Total	237	431	206	874

Pearson chi2(2) = 8.2316 Pr = 0.016

likelihood-ratio chi2(2) = 8.2524 Pr = 0.016

Cramér's V = 0.0970

gamma = 0.1628 ASE = 0.056

Kendall's tau-b = 0.0915 ASE = 0.032

#### . tabi 132 293\ 105 344, all

	col		
row	1	2	Total
1	132	293	425
2	105	344	449
Total	237	637	874

Pearson chi2(1) = 6.5050 Pr = 0.011 likelihood-ratio chi2(1) = 6.5111 Pr = 0.011

Cramér's V = 0.0863

gamma = 0.1922 ASE = 0.074

Kendall's tau-b = 0.0863 ASE = 0.034

#### . tabi 338 87\ 330 119, all

	col		
row	1	2	Total
1	338	87	425
2	330	119	449
Total	668	206	874

Pearson chi2(1) = 4.4110 Pr = 0.036

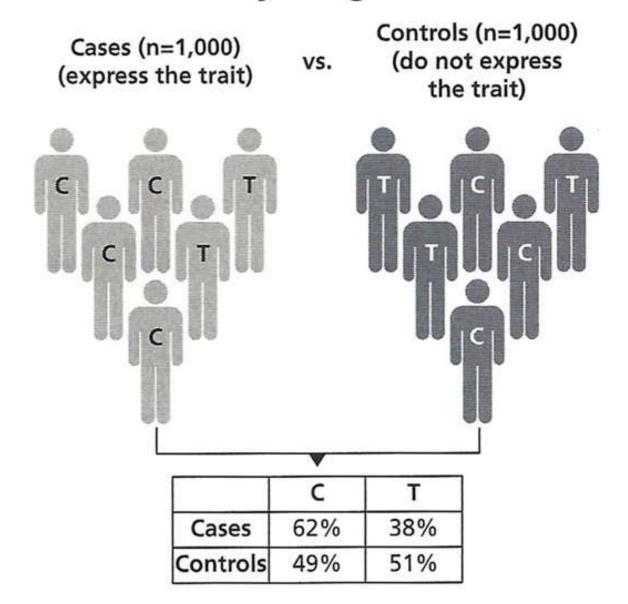
likelihood-ratio chi2(1) = 4.4277 Pr = 0.035

Cramér's V = 0.0710

gamma = 0.1670 ASE = 0.078

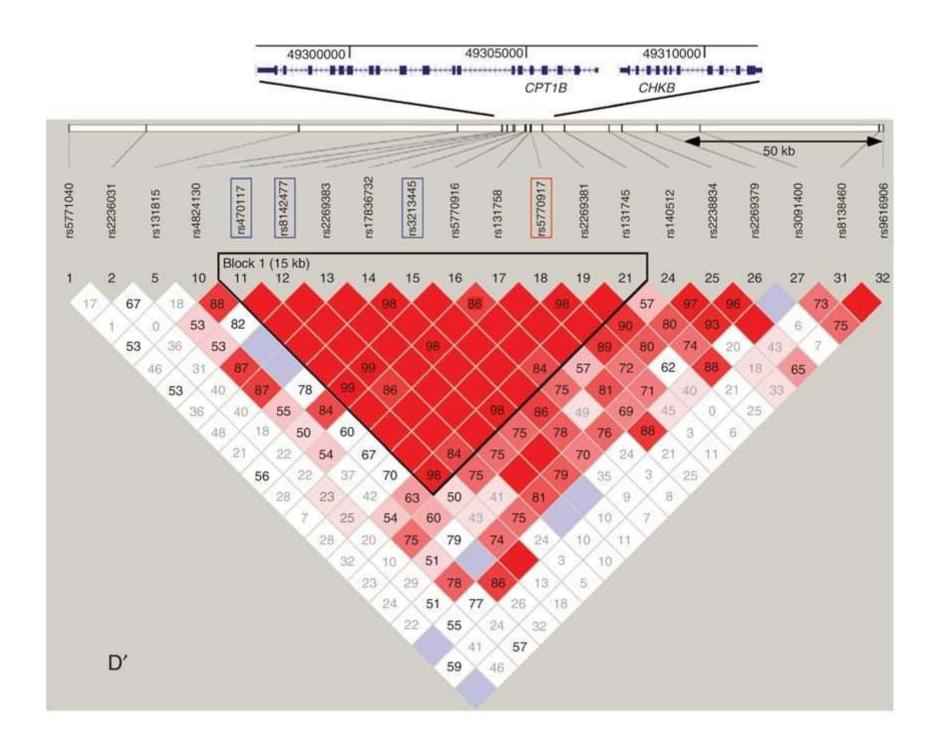
Kendall's tau-b = 0.0710 ASE = 0.034

#### Case-control study for genetic association

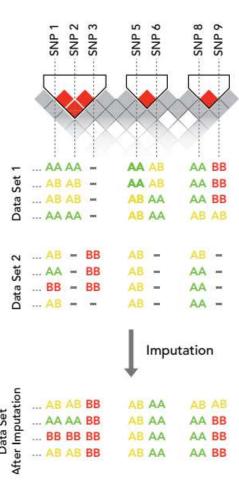


# **GWAS**

- Million of SNPs
- Different platforms (need for imputation)
- The statistical analysis is simple(i.e. OR, CATT, SMD) but there are complications
- Basic issues: multiple comparisons, quality control, data sharing, population stratification
  - Teo, Y.Y. (2008) Common statistical issues in genome-wide association studies: a review on power, data quality control, genotype calling and population structure, Curr Opin Lipidol, 19, 133-143
  - Zeggini, E. and Ioannidis, J.P. (2009) Meta-analysis in genome-wide association studies, Pharmacogenomics, 10, 191-201
  - Ziegler, A., Konig, I.R. and Thompson, J.R. (2008) Biostatistical aspects of genome-wide association studies, Biom J, 50, 8-28



#### FIGURE 1: IMPUTATION OVERVIEW



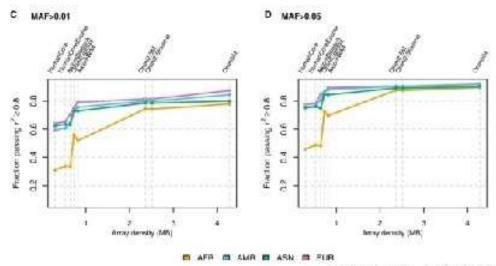
SNPs 1–9 form three blocks of high LD, indicated by the red diamonds between the SNPs. Data Sets 1 and 2 represent a total of eight individuals genotyped using two different arrays at SNPs 1–9. The imputed data set contains genotypes for all SNP loci, with estimated genotypes filling in the missing data from Data Set 2. For example, SNP 2 is genotyped in Data Set 1 but not Data Set 2. Due to strong LD between SNPs 1–3, the individual genotypes for SNP 2 can be inferrred in Data Set 2 based on those present in Data Set 1.

#### TABLE 1: COMMONLY USED IMPUTATION SOFTWARE PACKAGES

SOFTWARE NAME	INSTITUTION	URL
MACH	University of Michigan <sup>1,2</sup>	http://www.sph.umich.edu/csg/abecasis/MaCH/tour/imputation.html
BEAGLE	University of Auckland <sup>3</sup>	http://www.stat.auckland.ac.nz/~bbrowning/beagle/beagle.html
IMPUTE	Oxford University <sup>4,5</sup>	http://mathgen.stats.ox.ac.uk/impute/impute.html
PLINK	Massachusetts General Hospital / Broad Institute <sup>6</sup>	http://pngu.mgh.harvard.edu/~purcell/plink/

# Genomic Coverage of GWAS Chips

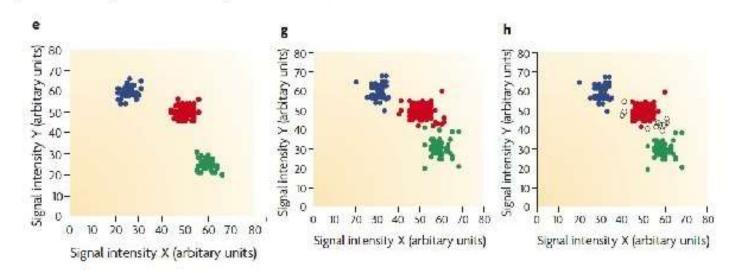
- estimated by the percent of common SNPs having an r<sup>2</sup> of 0.8 or greater with at least 1 SNP on the platform.
- Platforms comprising 500,000 to 1,000,000 SNPs capture ~67
   -89% of common SNPs in populations of European and Asian ancestry and 46-66% in populations of African ancestry.

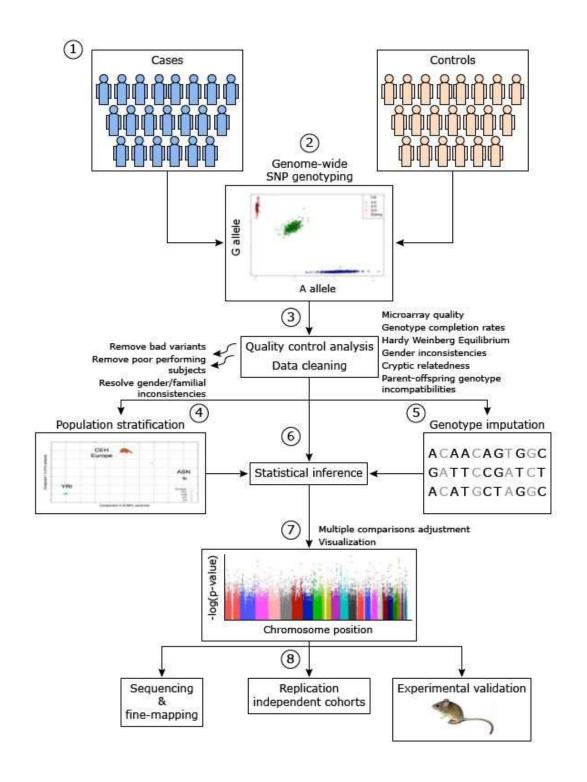


Nelson et al. G3 (Bethesda) 2013; 3: 1795–1807.

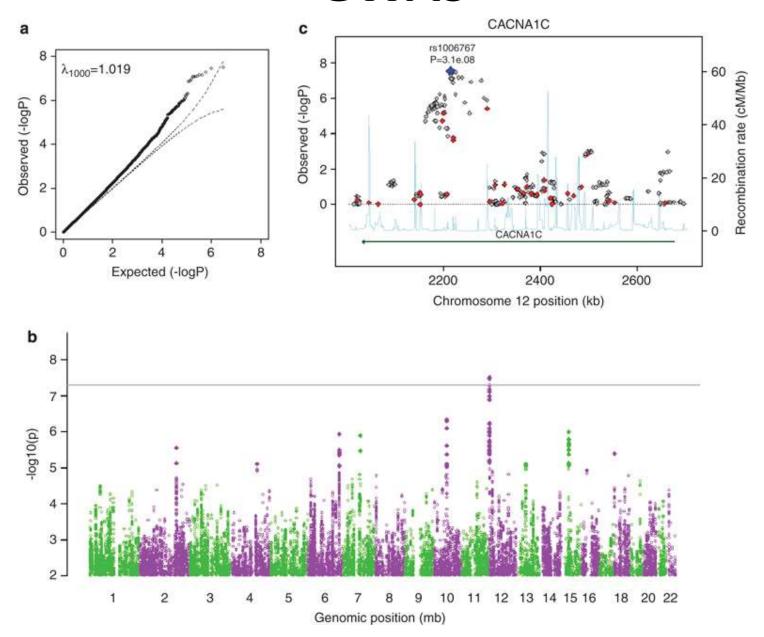
# Genotyping and Quality Control in GWAS

- Genotype "calling" is based on intensities for the two alleles at each genetic marker
- Genotyping errors, must be diligently sought and corrected.
- Established quality control features should be applied both on a per-sample and a per-SNP basis.





# **GWAS**



# Statistical methods

**Table 1** The 2×3 contingency table with the distribution of cases and controls in a traditional GAS or GWAS concerning a single biallelc locus.

8	AA (g <sub>0</sub> )	AB (g <sub>1</sub> )	BB (g <sub>2</sub> )	Total
Cases	r <sub>o</sub>	r,	r <sub>2</sub>	r
Cases Controls	s <sub>o</sub>	$s_{_1}$	<b>s</b> <sub>2</sub>	S
Total	$n_{0}$	$n_{_1}$	$n_2$	n

Pearson Chi-square

$$T_{\chi_{2}^{2}}^{2} = \sum_{j=0}^{2} \frac{\left(r_{j} - n_{j}r / n\right)^{2}}{n_{j}r / n} + \sum_{j=0}^{2} \frac{\left(s_{j} - n_{j}s / n\right)^{2}}{n_{j}s / n}$$

Logistic Regression (Odds Ratio)

logit [
$$P(\text{case}|g_j)$$
]= $\alpha+\beta_1x_1+\beta_2x_2$ 

$$Z_{CATT(x)} = \frac{U_{x}}{\sqrt{\text{var}_{H_{0}}(U_{x})}} = \frac{\sqrt{n} \sum_{i=0}^{2} x_{i} (sr_{i} - rs_{i})}{\sqrt{rsn \left[n \sum_{i=0}^{2} x_{i}^{2} n_{i} - \left(\sum_{i=0}^{2} x_{i} n_{i}\right)^{2}\right]}} \sim N(0,1)$$

Bagos PG. Genetic model selection in genome-wide association studies: robust methods and the use of meta-analysis. Statistical Applications in Genetic and Molecular Biology, 2013

# Robust methods

 The methods are designed to have the maximum statistical power irrespective of the mode of inheritance

MERT 
$$Z_{MERT} = \frac{Z_{CATT(0)} + Z_{CATT(1)}}{\sqrt{2(1 + \rho_{CATT(0,1)})}} \sim N(0,1)$$
MAX 
$$Z_{MAX} = \max(|Z_{CATT(0)}|, |Z_{CATT(1/2)}|, |Z_{CATT(1)}|)$$
MIN2 
$$MIN2 = \min(P_{T_{Z_{\lambda}}^{2}}, P_{Z_{CATT(1/2)}})$$

Bagos PG. Genetic model selection in genome-wide association studies: robust methods and the use of meta-analysis. Statistical Applications in Genetic and Molecular Biology, 2013

et al. (2008). Recently, Zang et al. found that  $Z_{\text{CATT(0)}}$ ,  $Z_{\text{CATT(1/2)}}$  and  $Z_{\text{CATT(1)}}$  are linearly dependent, a result that allowed them to develop faster algorithms for calculating the statistical significance of MAX (Zang et al., 2010). Thus, the P-value for the MAX statistic is given by:

$$P(Z_{\text{MAX}} < t) = 2 \int_{0}^{t(1-\omega_{1})/\omega_{0}} \Phi\left(\frac{t - \rho_{\text{CATT}(0,1)}z_{0}}{\sqrt{1 - \rho_{\text{CATT}^{2}_{(0,1)}}}}\right) \phi(z_{0})dz_{0}$$

$$+2 \int_{t(1-\omega_{1})/\omega_{0}}^{t} \Phi\left(\frac{(t - \omega_{0}z_{0})/\omega_{1} - \rho_{\text{CATT}(0,1)}z_{0}}{\sqrt{1 - \rho_{\text{CATT}^{2}_{(0,1)}}}}\right) \phi(z_{0})dz_{0}$$

$$-2 \int_{0}^{t} \Phi\left(\frac{-t - \rho_{\text{CATT}(0,1)}z_{0}}{\sqrt{1 - \rho_{\text{CATT}^{2}_{(0,1)}}}}\right) \phi(z_{0})dz_{0}$$

$$(4)$$

where:

$$\omega_0 = \frac{\rho_{CATT(0,1/2)} - \rho_{CATT(0,1)}\rho_{CATT(1/2,1)}}{1 - \rho_{CATT_{(0,1)}^2}}$$
(5)

$$\omega_1 = \frac{\rho_{CATT(1/2,1)} - \rho_{CATT(0,1)}\rho_{CATT(0,1/2)}}{1 - \rho_{CATT_{(0,1)}^2}}$$
(6)

Zang Y, Fung WK, Zheng G. Simple algorithms to calculate the asymptotic null distributions of robust tests in case-control genetic association studies in R. Journal of Statistical software. 2010 Feb 17;33(8).

MIN2 is an interesting robust approach that was adopted by investigators of the Wellcome Trust Case-Control Consortium (WTCCC, 2007). They applied the  $\chi_2^2$  along with the CATT(1/2) and, subsequently, chose the minimum of the *P*-values:

$$MIN2 = \min(P_{T_{z_2^2}^2}, P_{Z_{CATT(1/2)}})$$
 (7)

The use of MIN2 is justified by simulations showing that  $\chi_2^2$  has 5% less power compared with MAX and outperforms MERT, except when the additive model holds (Zheng *et al.*, 2006). However, MIN2 is not a proper *P*-value since the statistics are correlated and multiple tests are performed. Later, Joo *et al.* (2009) derived the joint distribution needed in order to calculate a proper *P*-value:

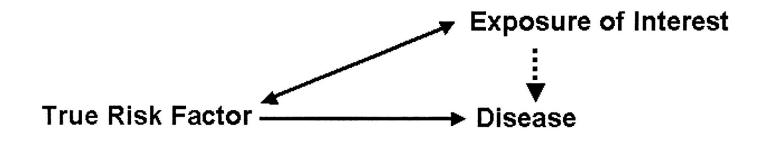
$$P\left(Z_{CATT(1/2)}^{2} < t_{1}, T_{\chi_{2}^{2}}^{2} < t_{2}\right) = \begin{cases} 1 - \frac{1}{2}e^{-\frac{t_{1}}{2}} - \frac{1}{2}e^{-\frac{t_{2}}{2}} + \frac{1}{2\pi} \int_{t_{1}}^{t_{2}} e^{-\frac{u}{2}} \arcsin\left(\frac{2t_{1}}{u} - 1\right) du, t_{1} < t_{2} \\ 1 - e^{-\frac{t_{2}}{2}}, t_{1} > t_{2} \end{cases}$$

$$(8)$$

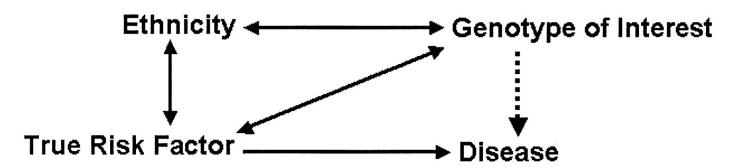
Unlike MAX, MIN2 is independent of the allele frequency.

Joo J, Kwak M, Ahn K, Zheng G. A Robust Genome-Wide Scan Statistic of the Wellcome Trust Case—Control Consortium. Biometrics. 2009 Dec;65(4):1115-22.

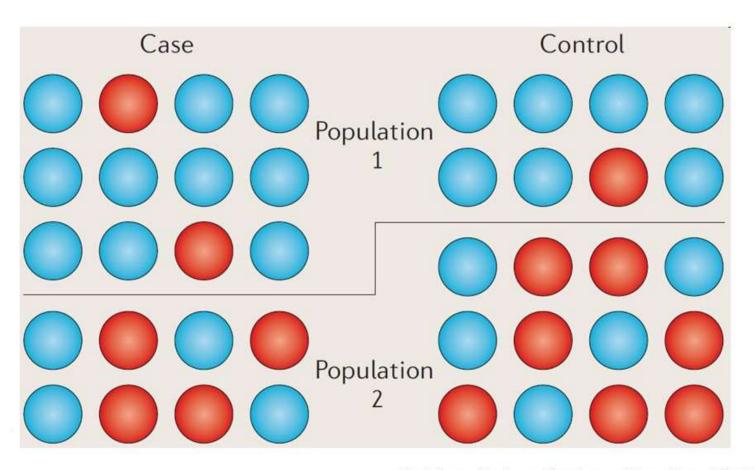
## Confounding



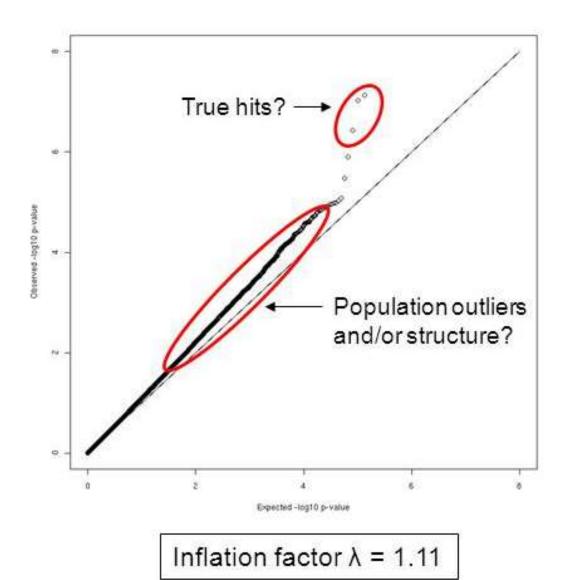
### **Population Stratification**



# Population Stratification



Balding, Nature Reviews Genetics 2010



## **Genomic Control**

Let  $\chi_1^2, \ldots, \chi_L^2$  be the  $\chi^2$ -statistics at the null markers. The same type of test statistic is selected and applied to all null loci and the marker loci are tested formally for association. The inflation factor  $\lambda$  for the variance can then be estimated by

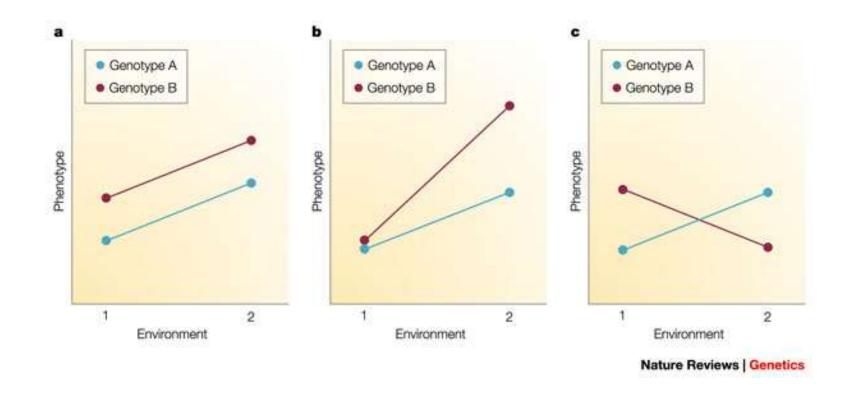
$$\hat{\lambda} = \frac{0.4549}{\text{median}(\chi_1^2, \dots, \chi_L^2)}.$$

The value of 0.4549 corresponds to the median for the  $\chi^2$ -distribution with 1 df. The test statistic, e.g.,  $\chi_T^2$  or  $\chi_L^2$ , for the marker locus of interest is then adjusted by

$$\chi_{GC}^2 = \hat{\lambda} \, \chi_L^2 \sim \chi_1^2$$

for the alleles test, and similarly for the trend test  $\chi_T^2$ . For a codominant test we use the median value of a  $\chi_2^2$  distribution in the numerator of  $\hat{\lambda}$ .

### **GxE** interactions



$$g(E(Y)) = \beta_0 + \beta_1 \times X + \beta_2 \times E + \beta_3 \times X \times E,$$

TABLE I. Data for a unmatched case-control study with a binary genetic factor and a binary environmental exposure

E=1	E=0	E=1	Total
			Total
r <sub>001</sub>	$r_{010}$	$r_{011}$	$n_0$ $n_1$
	$r_{001} \\ r_{101}$		

$$\psi = \frac{\text{Odds-ratio between } G \text{ and } E \text{ among cases}}{\text{Odds-ratio between } G \text{ and } E \text{ among controls}}$$

$$\hat{\beta}_{CC} = \log \left( \frac{r_{001} r_{010} r_{100} r_{111}}{r_{000} r_{011} r_{101} r_{110}} \right)$$

$$= 1 \text{ under } G - E \text{ independence and rare disease}$$

$$\hat{\beta}_{\text{CO}} = \log \left( \frac{r_{100}r_{111}}{r_{101}r_{110}} \right).$$

TABLE 2. Gene-environment interaction analysis in the context of a case-control study

Exposure*	Susceptibility genotype	Cases	Controls	Odds ratio†
	-	а	ь	1.0
_	+	C	d	$OR_a = bc/ad$
+	_	0	f	OR = be/af
+	+	g	h	OR <sub>g</sub> = bc/ad OR <sub>g</sub> = be/af OR <sub>ge</sub> = bg/ah

<sup>\* -,</sup> absent; +, present.

$$SIM = OR_{ge}/OR_{g} \times OR_{e}$$

<sup>†</sup> Under an additive model:  $OR_{ge} = OR_g + OR_e - 1$ . Under a multiplicative model:  $OR_{ge} = OR_g \times OR_e$ .

TABLE 4. Gene-environment interaction analysis in the context of a case-only study\*

Exposure	Susceptibility genotype		
	_	+	
_	a	ь	
+	С	d	

<sup>\*</sup> COR, case-only odds ratio = ad/bc. Under assumption of independence between exposure and genotype among controls:  $COR = OR_{ae}/OR_{e} \times OR_{g} = SIM$ , where SIM is the synergy index.

$$COR = OR_{ge}/(OR_e \times OR_g) \times Z$$

TABLE 3. Case-control analysis of the interaction between maternal cigarette smoking, transforming growth factor alpha (Taql) polymorphism, and the risk of cleft palate. Adapted from Hwang et al. (11)

Smoking	Taq I polymorphism	No. of cases	No. of controls	Odds ratio*,†	95% confidence Interval
-	_	36	167	1.0	Referent
_	+	7	34	1.0	0.3-2.4
+	-	13	69	0.9	0.4-1.8
+	+	13	11	5.5	2.1-14.6

Crude odds ratios are presented.

marked departure from multiplicative effects of the genotype and the exposure. The COR obtained from this analysis is 5.1, comparable with the SIM of 6.1 obtained from the regular case-control analysis. Also, the assumption of independence between exposure and genotype among controls is reasonable.

<sup>†</sup> Odds ratio based on a case-only study is 5.1 (95% confidence interval 1.5–18.5) ((13  $\times$  36)/(13  $\times$  7)).

## Reproducibility

Table 1. Examples of Some Reported Reproducibility Concerns in Preclinical Studies

Author Field		Reported Concerns		
loannidis et al (2009)22	Microarray data	16/18 studies unable to be reproduced in principle from raw data		
Baggerly et al (2009)23	Microarray data	Multiple; insufficient data/poor documentation		
Sena et al (2010)24	Stroke animal studies	Overt publication bias: only 2% of the studies were negative		
Prinz (2011) <sup>1</sup>	General biology	75% to 80% of 67 studies were not reproduced		
Begley & Ellis (2012) <sup>2</sup>	Oncology	90% of 53 studies were not reproduced		
Nekrutenko & Taylor(2012) <sup>25</sup>	NGS data access	26/50 no access to primary data sets/software		
Perrin (2014) <sup>26</sup>	Mouse, in-vivo	0/100 reported treatments repeated positive in studies of ALS		
Tsilidis et al (2013)27	Neurological studies	Too many significant results, overt selective reporting bias		
Lazic & Essioux (2013) <sup>28</sup>	Mouse VPA model	Only 3/34 used correct experimental measure		
Haibe-Kains et al (2013) <sup>29</sup>	Genomics/cell line analysis	Direct comparison of 15 drugs and 471 cell lines from 2 groups revealed little/no concordant data		
Witwer (2013)30	Microarray data	93/127 articles were not MIAME compliant		
Elliott et al (2006)31	Commercial antibodies	Commercial antibodies detect wrong antigens		
Prassas et al (2013)32	Commercial ELISA	ELISA Kit identified wrong antigen		
Stodden et al (2013)33	Journals	Computational biology: 105/170 journals noncompliant with National Academies recommendations		
Baker et al (2014)34	Journals	Top tier fail to comply with agreed standards for animal studies		
Vaux (2012)35	Journals	Failure to comply with their own statistical guidelines		

ALS indicates amyotrophic lateral sclerosis; MIAME, minimum information about a microarray experiment; NGS, next generation sequencing; and VPA, valproic acid (model of autism).

Begley, C.G. and J.P. loannidis, **Reproducibility in science: improving the standard for basic and preclinical research.** Circ Res, 2015. **116**(1): p. 116-26.

# Grading the credibility of molecular evidence for complex diseases (1)

Table 1 Effect sizes in the pre-molecular era and in the molecular era

Effect sizes	Putative frequency	Typical examples of postulated risk factors		
		Pre-molecular era	Molecular era	
Large (RR > 5)	Rare	Smoking and lung cancer	APOE and Alzheimer's disease <sup>33</sup>	
			BRCA1 and breast cancer <sup>32</sup>	
Moderate (RR 2-5)	Uncommon	Moderate obesity and cholesterol gallstones	NOD2 and Crohn's disease <sup>33</sup>	
			HLA shared epitopes and rheumatoid arthritis <sup>34</sup>	
Small (RR 1.2-2)	Common	Racial descent and hypertension	FcγRIIa and SLE <sup>35</sup>	
			GSTM1 and bladder cancer36	
Very small (RR 1-1.2)	Unclear frequency <sup>a</sup>	Passive smoking and lung cancer	GSTM1 and lung cancer <sup>37</sup>	
			MTHFR and ischaemic stroke <sup>38</sup>	

RR: relative risk.

loannidis, J.P., Commentary: grading the credibility of molecular evidence for complex diseases. Int J Epidemiol, 2006. **35**(3): p. 572-8; discussion 593-6.

<sup>&</sup>lt;sup>a</sup> Presented examples reflect current state of knowledge and are subject to possible refutation in the future; for small and very small effect sizes, it is uncertain whether these risk factors are true, even when evidence is based on large sample sizes from several studies.

# Grading the credibility of molecular evidence for complex diseases (2)

Table 2 Typical credibility of research findings according to effect size and extent of replication

Effect size (relative risk)	Replication	Typical credibility (%)
Large (>5)	None	10-60
	Limited	30-80
	Extensive	70-95
Moderate (2–5)	None	5-20
	Limited	10-40
	Extensive	50-90
Small (1.2-2)	None	<5
	Limited	2-20
	Extensive	10-70
Very small (1–1.2)	None	<1
	Limited	1-5
	Extensive	2-30

Ioannidis, J.P., Commentary: grading the credibility of molecular evidence for complex diseases. Int J Epidemiol, 2006. **35**(3): p. 572-8; discussion 593-6.

Table 3 Proposed grading of credibility in molecular evidence

#### First axis: Effect size

- 1.1 Very small or small effect size (relative risk < 2)
- 1.2 Moderate effect size (relative risk 2-5)
- 1.3 Large effect size (relative risk > 5)

### Second axis: Amount and replication of evidence

- 2.1 Single or few scattered studies
- 2.2 Meta-analyses of group data
- 2.3 Large-scale evidence from inclusive networks

#### Third axis: Protection from bias

- 3.1 Clear presence of strong bias in the evidence
- 3.2 Uncertain about the presence of bias
- 3.3 Clear strong protection from bias

### Fourth axis: Biological credibility

- 4.1 No functional/biological data or negative data
- 4.2 Limited or controversial functional/biological data
- 4.3 Convincing functional/biological data

### Fifth axis: Relevance

- 5.1 No clinical or public health applicability
- 5.2 Limited clinical or public health applicability
- 5.3 Considerable clinical/public health applicability

Ioannidis, J.P., Commentary: grading the credibility of molecular evidence for complex diseases. *Int J Epidemiol*, 2006. **35**(3): p. 572-8; discussion 593-6.

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